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A5_3 Indiana Jones and the Fridge to Freedom

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Abstract

This paper investigates the plausibility of Indiana Jones being able to survive the initial gamma ray radiation from a nuclear explosion by containing himself within a lead-lined fridge. We find that the fridge needs a thickness of lead to be at least 6.83cm for him to be unharmed by the gamma radiation.

Introduction

In the 2008 film *Indiana Jones and the Kingdom of the Crystal Skull* Indiana is left stranded in a nuclear test town. He is seemingly doomed to certain death as the nuclear bomb is activated and the siren begins to countdown. With literally seconds to spare he is able to squeeze himself into a lead-lined fridge surviving the explosion and aftermath without any noticeable injuries. In this paper we explore the plausibility of Indiana being able to survive this event by investigating how thick the lead within the fridge would need to be. Such that the initial gamma radiation given off by the bomb is no longer harmful to Indiana.

Theory

To model the process we make the following assumptions: We assume the gamma radiation given off is spherically isotropic and that the gamma rays travel through a vacuum to reach the fridge (loss in energy due to absorption from air and the house is considered negligible). We can then use the solid angle formula[1] divided by 4π ,

$$\omega = \frac{A}{4\pi r^2}, \quad (1)$$

to work out the fraction of gamma radiation incident upon the fridge. Where ω is the fraction of gamma radiation incident upon the fridge, r is the distance between the initial explosion and the fridge and A is the surface area of the fridge as seen by the explosion, assumed to be face on. We then use the Beer-Lambert formula [2],

$$I = I_0 \exp(-t\mu) \quad (2)$$

to calculate the loss of energy in gamma radiation as it penetrates the lead-lined fridge. Where I_0 is the energy of gamma radiation incident upon the fridge, μ is the absorption coefficient, t is thickness of the lead within the fridge and I is the energy of the gamma radiation at thickness t .

Results

It is estimated that the bomb's initial explosion is $1000(\pm 500)\text{m}$ away from the fridge which is assumed to have an area of $0.5(\pm 0.25)\text{m}^2$. Using Equation (1) gives the fraction of gamma ray incident upon the fridge to be $3.98(\pm 3.45)\times 10^{-8}$. It is unknown exactly what type of nuclear bomb was used in the film, and consequently its energy output, so we have selected three different

