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Hunting: Prehistoric Spear Velocity

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Abstract

In this paper we outline a series of equations that describe a spear's velocity profile, with respect to time, that is based on a simplified model of projectile launching techniques and drag forces.

Introduction

Hunting large game animals in prehistoric times was a dangerous task, especially when using hand driven spears [1]. Any technological advancement that allowed the hunters to place more distance between themselves and their prey (or aggressors) would have provided an evolutionary advantage. A variety of thrown weapons were developed [2] from simple 'unaided' projectiles (javelins and spears) to more complex 'mechanically aided' throwing systems such as atlatls [3, 4] (also known as spear throwers). The faster and therefore further these projectiles could be thrown and still penetrate an animal's hide the better for the hunter.

Throwing a spear-like object

The series of motions required to throw a hunting projectile is complex [5] involving a rotation of the torso in one plane and a rotation of the throwing arm in two planes at three separate locations: shoulder, elbow and wrist. Using an aid such as an atlatl results in a functionally similar full body launching motion [6, 7]. In both cases observations of modern practitioners show that: a) the projectile is held approximately horizontal throughout the throw and b) the motion predominantly responsible for launching the projectile is the rotation of the forearm from an angle of approximately -45° to +45° to the vertical (see fig 1). The only difference is that the atlatl appears to extend the functional length of the forearm. The importance of this will be explored using a simple physical model.

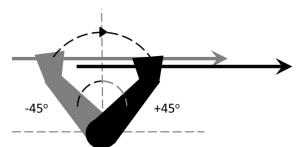


Fig 1) Diagram showing the rotation of the forearm during a spear throw.

Modelling the throwing action

Assuming the motion of the forearm in isolation the elbow joint can be considered as a fixed pivot point. Therefore the hand-projectile attachment point must move through a circular arc. The tangential velocity, v_t , at which the projectile leaves the hunter's hand is therefore related to the angular velocity, ω , by the following equation [8]:

$$v_t = r\omega$$
, ... eqn 1

To a first order approximation we can assume that the contraction of the bicep [9] produces a uniform angular velocity, therefore $v_t \propto r$. Thus increasing the effective r by using an atlatl increases v_t .

We also know from projectile theory that the velocity in the x- and y-directions after the projectile leaves the hand are [8]:

$$\begin{aligned} v_x(t) &= v_t - a_{drag}t, & \dots eqn \ 2 \\ v_y(t) &= 0 - gt, & \dots eqn \ 3 \end{aligned}$$

But we also know that the drag force acting on the spear as it travels through the air is [10]:

$$F_{drag} = \frac{1}{2} C_D \rho_{air} A v(t)^2, \qquad \dots eqn \ 4$$

Substituting equations 1 and 4 into equation 2 gives:

$$v_{x}(t) = r\omega - \frac{C_{D}\rho_{air}Av(t)^{2}t}{2m}, \quad \dots eqn 5$$
$$v_{y}(t) = -gt, \quad \dots eqn 6$$

References

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[5] <u>http://www.youtube.com/watch?v=Mvxq_V0IBa8</u>

[6] http://www.youtube.com/watch?v=ocQfYKrK6pw&feature=fvwrel

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[8] Tipler, P.A. & Mosca, G. (2008) Physics For Scientists and Engineers, 6th Ed. Freeman.

[9] Widmaier, E.P., Raff, H. & STrang, K.T. (2011) Vander's Human Physiology, 12th Ed. McGraw-Hill.

[10] <u>http://hyperphysics.phy-astr.gsu.edu/hbase/airfri2.html</u>

$$v(t) = \sqrt{v_x(t)^2 + v_y(t)^2}$$
. ... eqn 7

Therefore we can see that the horizontal velocity of the projectile at any given time, $v_x(t)$, is dependent its total instantaneous velocity, v(t). We will model this projectile motion using Excel in a later paper.